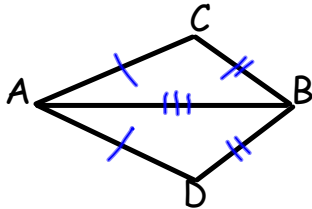
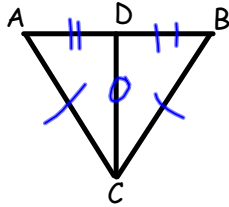


Side-Side-Side (SSS) Two triangles are congruent if the sides of one triangle are congruent respectively, to the three sides of the other triangle.



$$\begin{aligned} \overline{AC} &\cong \overline{AD} &> \\ \overline{CB} &\cong \overline{DB} \\ \overline{AB} &\cong \overline{AB} \end{aligned}$$

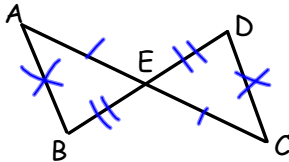
Ex. 1



Given: $\overline{AC} \cong \overline{BC}$
D is the midpoint of \overline{AB}
Prove: $\triangle ADC \cong \triangle BCD$

statement	reason
1. $\overline{AC} \cong \overline{BC}$	1. given
2. D is midpt of \overline{AB}	2. given
3. $\overline{AD} \cong \overline{DB}$	3. If a pt is midpt of a segment, it divides the segment into 2 \cong segments.
4. $\overline{DC} \cong \overline{DC}$	4. a quantity is = to itself
5. $\triangle ADC \cong \triangle BCD$	5. SSS \cong SSS

Ex. 2

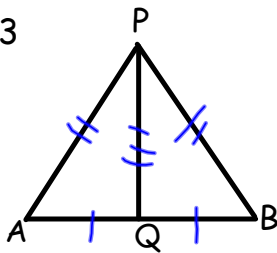


Given:
 \overline{AC} and \overline{BD} bisect each other at E
 $\overline{AB} \cong \overline{CD}$

Prove: $\triangle ABE \cong \triangle CDE$

statement	reason
1. $\overline{AC} \perp \overline{BD}$ bisect each other at E	1. given
2. E is midpt of $\overline{AC} \cong \overline{BD}$	2. If a segment bisects another segment, it divides it into 2 \cong segments. it intersects at midpt.
3. $\overline{AE} \cong \overline{EC}$ $\overline{BE} \cong \overline{ED}$	3) Def of midpt
4. $\overline{AB} \cong \overline{CD}$	4) given
5. $\triangle ABE \cong \triangle CDE$	5) SSS \cong SSS

Ex. 3

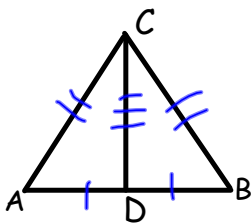


Given: $\overline{AQ} \cong \overline{BQ}$
 $\overline{BQ} \cong \overline{PQ}$
 $\overline{AP} \cong \overline{BP}$

Prove: $\triangle APQ \cong \triangle BPQ$

statement	reason
1. $\overline{AQ} \cong \overline{PQ}$	1. given
2. $\overline{BQ} \cong \overline{PQ}$	2. given
3. $\overline{AQ} \cong \overline{BQ}$	3. Trans. or Subst.
4. $\overline{AP} \cong \overline{BP}$	4. given
5. $\overline{PQ} \cong \overline{PQ}$	5. a quantity is \cong to itself
6. $\triangle APQ \cong \triangle BPQ$	6. SSS \cong SSS

Ex. 4



Given: $\triangle ABC$ is isosceles
 D is the midpoint of \overline{AB}

Prove: $\triangle ADC \cong \triangle BDC$

statement	reason
1. D is midpt of \overline{AB}	1. given
2. $\overline{AD} \cong \overline{DB}$	2. def of midpt.
3. $\triangle ABC$ is isosceles	3. given
4. $\overline{AC} \cong \overline{BC}$	4. If a \triangle is isosceles it has 2 \cong sides
5. $\overline{DC} \cong \overline{DC}$	5. Reflexive
6. $\triangle ADC \cong \triangle BDC$	6. SSS \cong SSS